

CO2 Trapping mechanisms assessment using numerical and analytical methods

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presenting on behalf of Pooneh hosseininoosheri

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**BUREAU OF
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GEOLOGY**

Outline

- **Down-dip and up-dip stabilization of CO₂ plume in sloped formations**
 - **Analytical approach**
 - Down-dip extent of plume can be estimated
 - Up-dip extent of plume controlled by capillary barriers (needs more work)
- **CO₂ Trapping Mechanisms in SACROC Unit**
 - **Numerical simulation**
 - **WAG provides the best balance for storage and EOR**

Objective and Method

Developing an analytical solution to predict the **extent of CO₂** plume in slopping aquifers

- Assume two active forces: Buoyancy and Viscous
- Ignore capillary force and dissolution
- Homogenous properties

- Force Balance in x-direction:

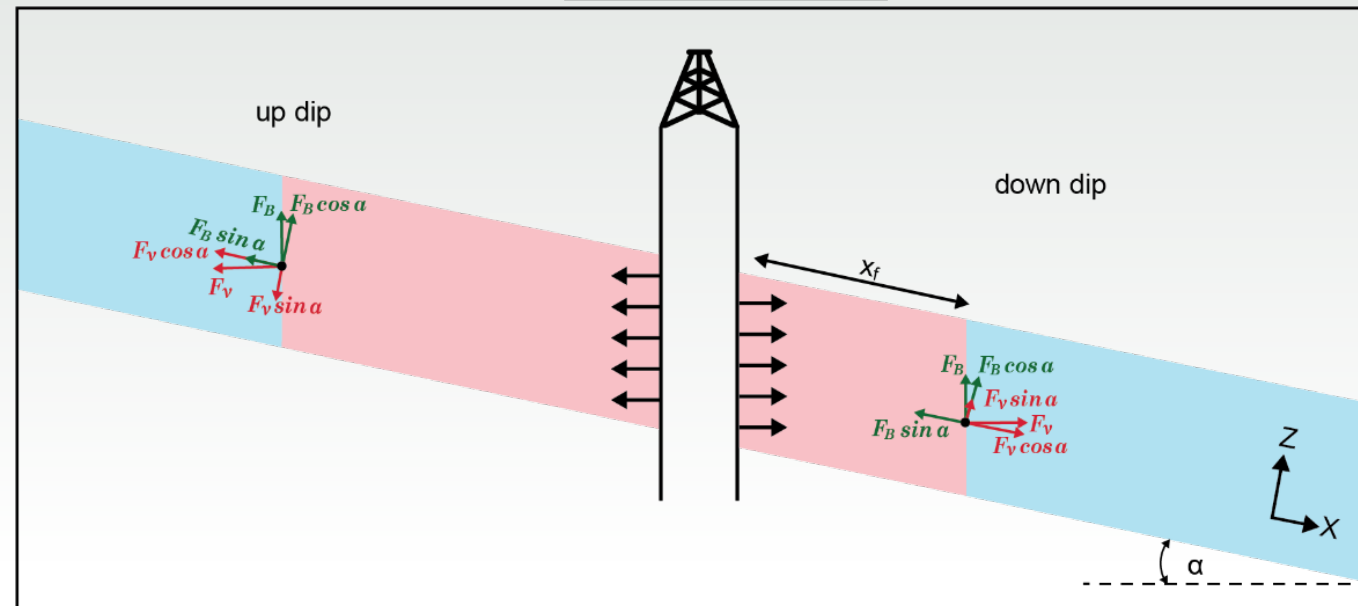
➤ Up dip : $F_B \sin \alpha + F_v \cos \alpha$

➤ down dip : $F_B \sin \alpha - F_v \cos \alpha$

F_B : Buoyancy Force

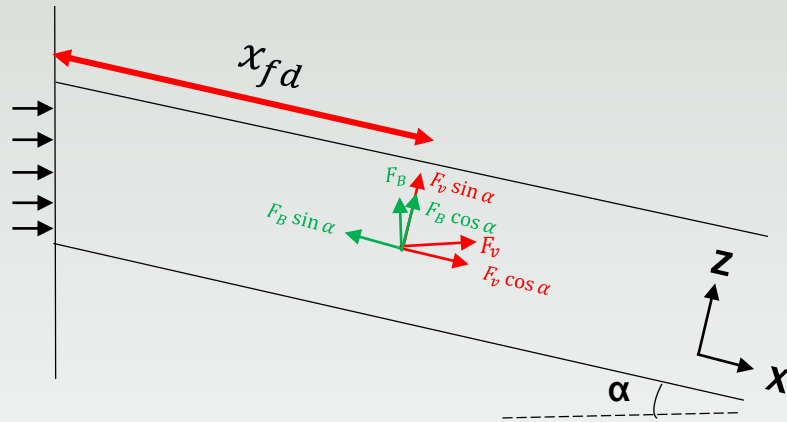
F_v : Viscous Force

Side View



QAe7225

Force Balance Solution Down-dip



Q : CO₂ Injection Rate

μ_g : CO₂ Viscosity

k : Permeability

ρ_w : Water Density

ρ_g : CO₂ Density

h : Thickness

- Looking for the point in which **x-direction** force balance is zero:

$$F_v \cos \alpha - F_B \sin \alpha = 0$$

- Dividing by area:

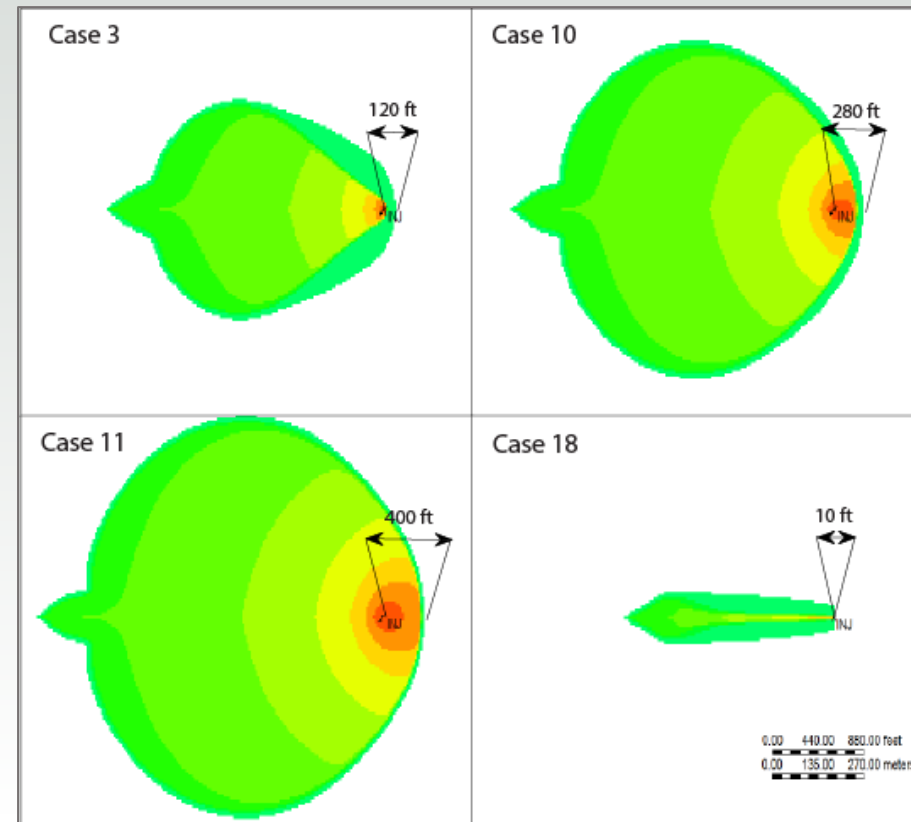
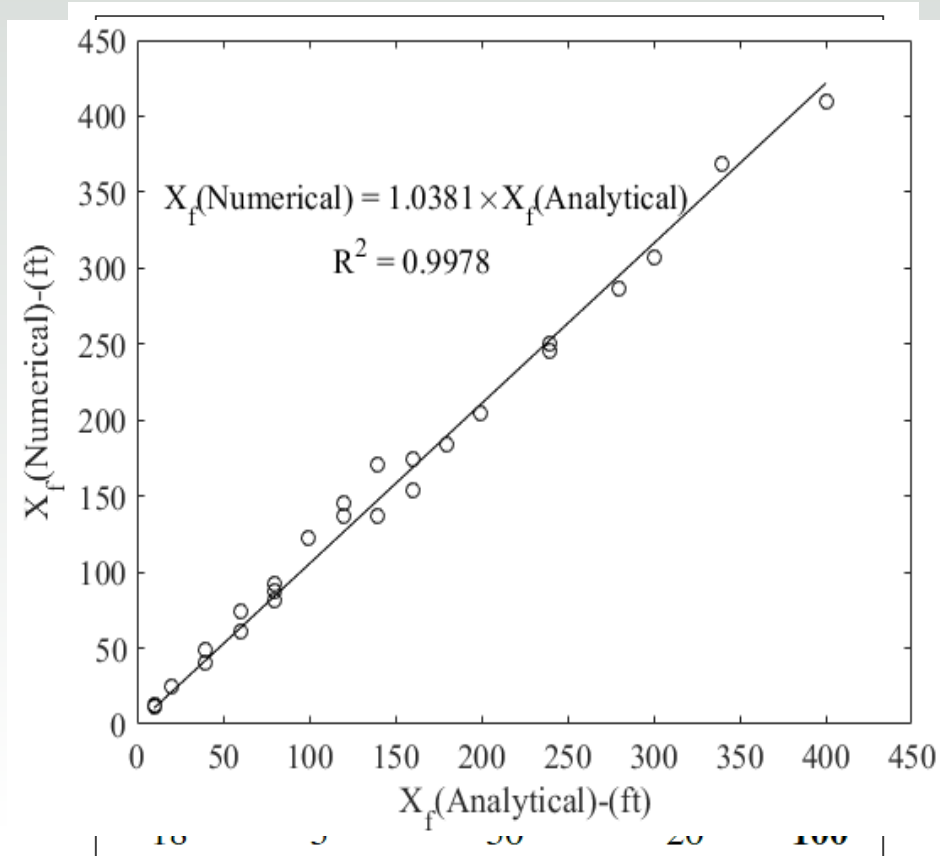
$$P_B = (\rho_w - \rho_g)gh$$

$$P_v = Q\mu_g/kx_{fd}$$

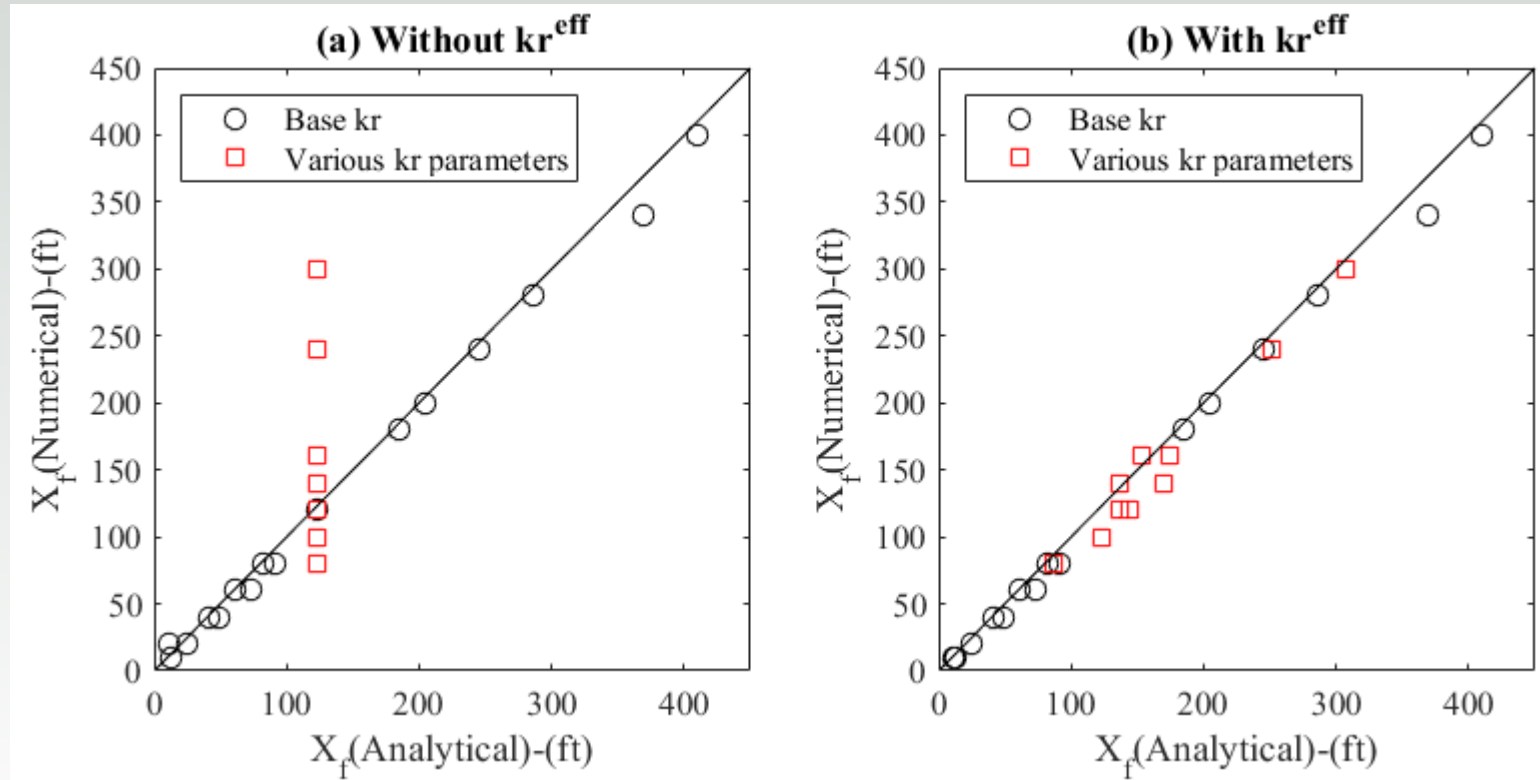
$$\frac{Q\mu_g}{kx_{fd}} \cos \alpha - (\rho_w - \rho_g)gh \sin \alpha = 0$$

$$x_{fd} = \frac{\frac{Q\mu_g}{k} \cos \alpha}{(\rho_w - \rho_g)gh \sin \alpha}$$

Effective Relative Permeability



Relative Permeability Impact



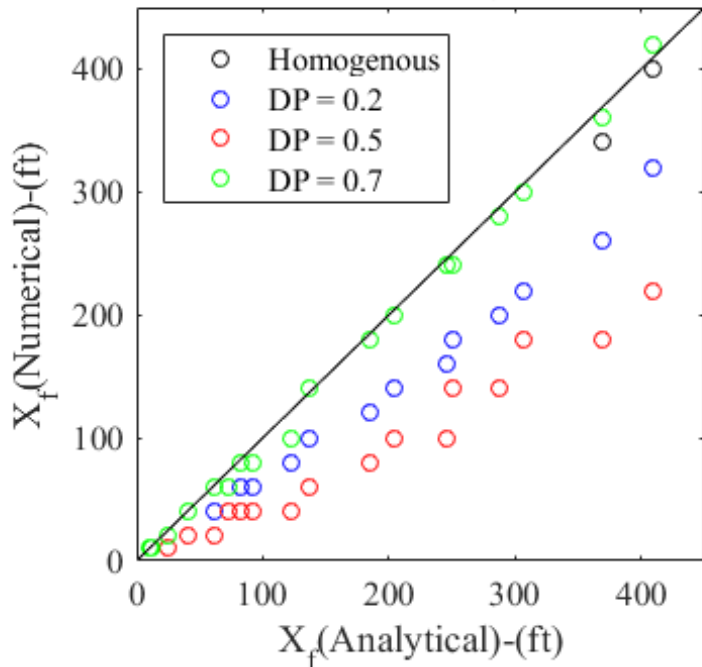
$$x_{fd} = \frac{\frac{Q\mu_g}{k} \cos \alpha}{(\rho_w - \rho_g)gh \sin \alpha}$$

$$x_{fd} = \frac{\frac{Q\mu_g}{kk_r^{eff}} \cos \alpha}{(\rho_w - \rho_g)gh \sin \alpha}$$

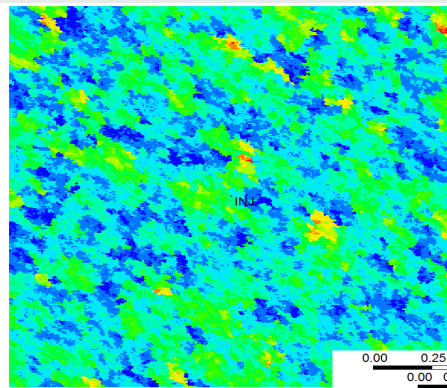
$$k_r^{eff} = 2 \times \sqrt{k_r^{cross}}$$

Heterogeneity

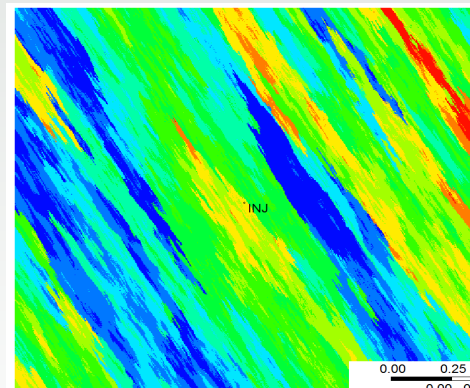
Entire Reservoir Average Permeability



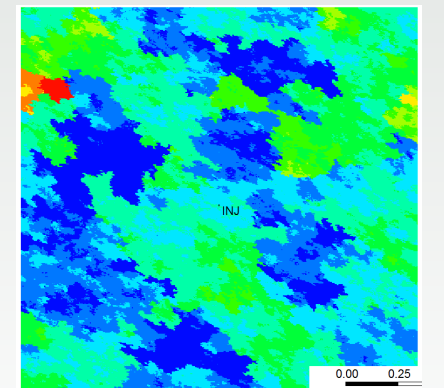
Dykstra Parson
Coefficient = 0.2



Dykstra Parson
Coefficient = 0.5



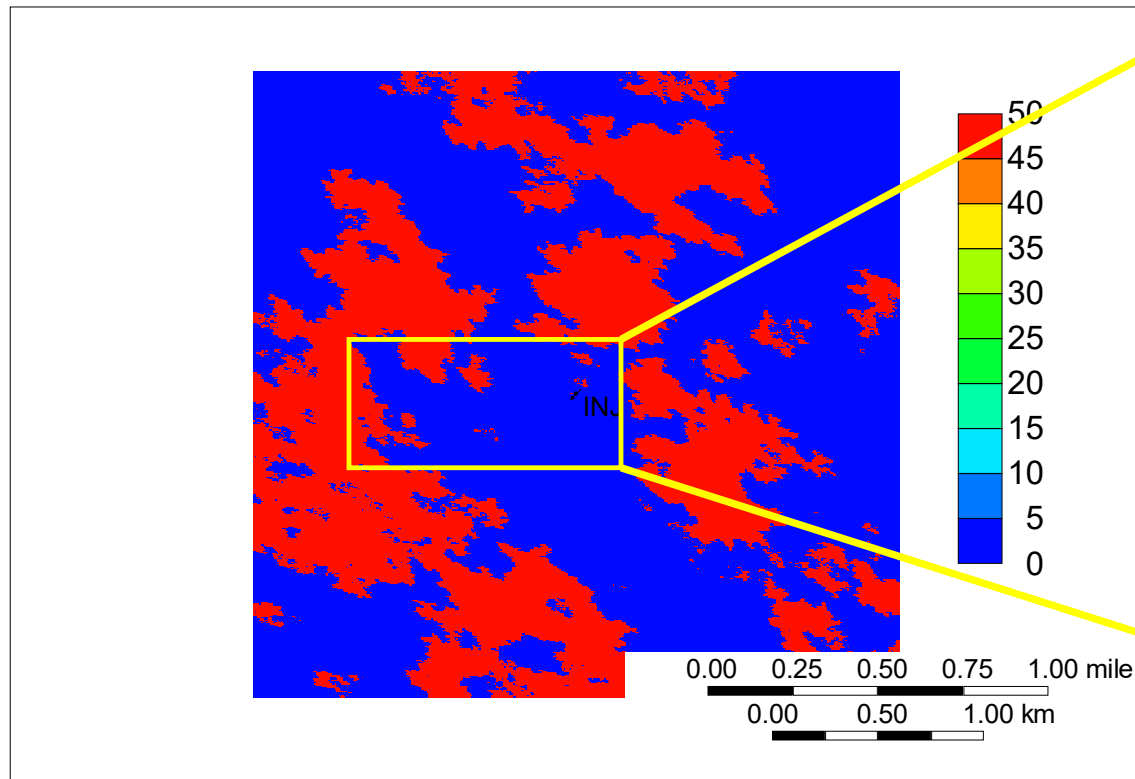
Dykstra Parson
Coefficient = 0.7



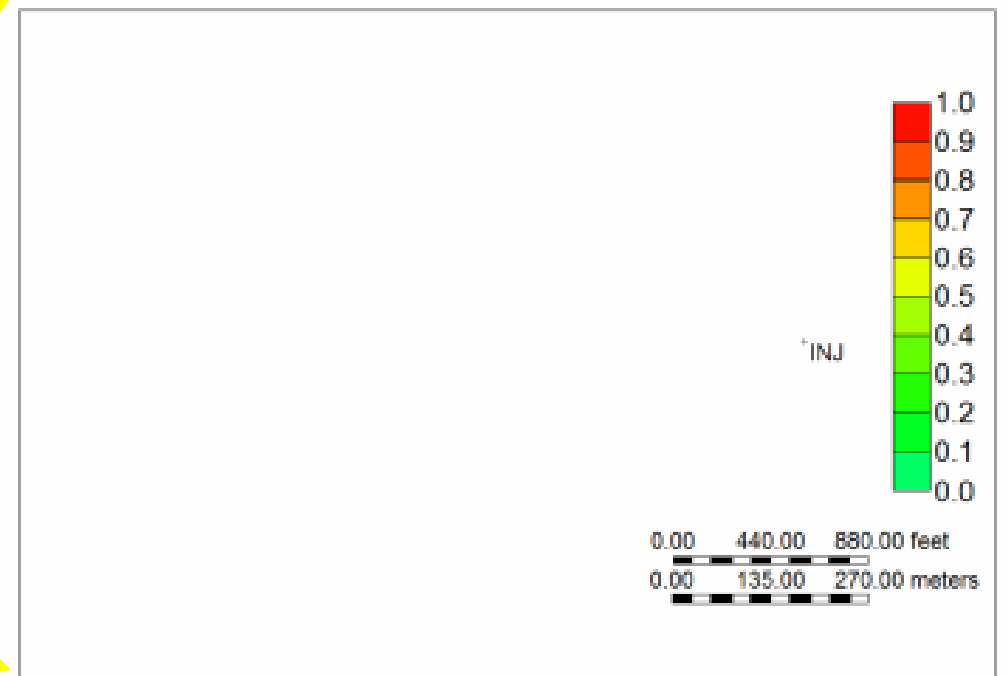
$$x_{fd} = \frac{\frac{Q\mu_g}{kk_r^{eff}} \cos \alpha}{(\rho_w - \rho_g)gh \sin \alpha}$$

Up-dip trapping

Capillary Pressure (psi)-Top View

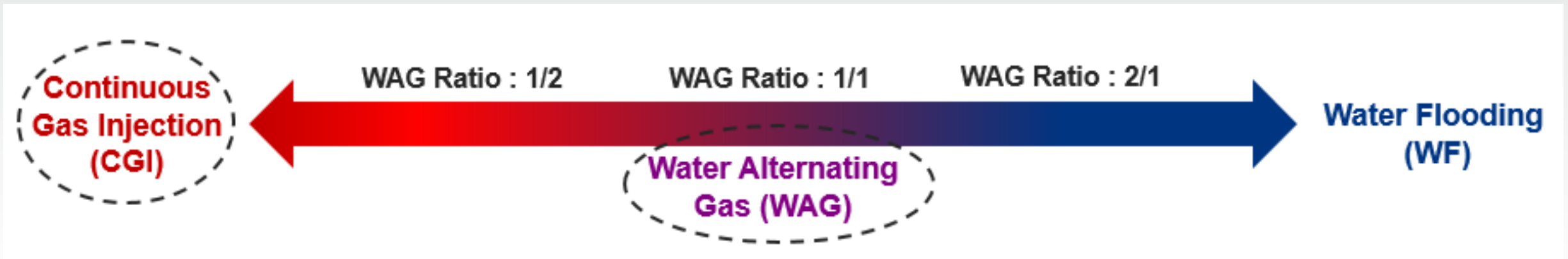


CO₂ Saturation

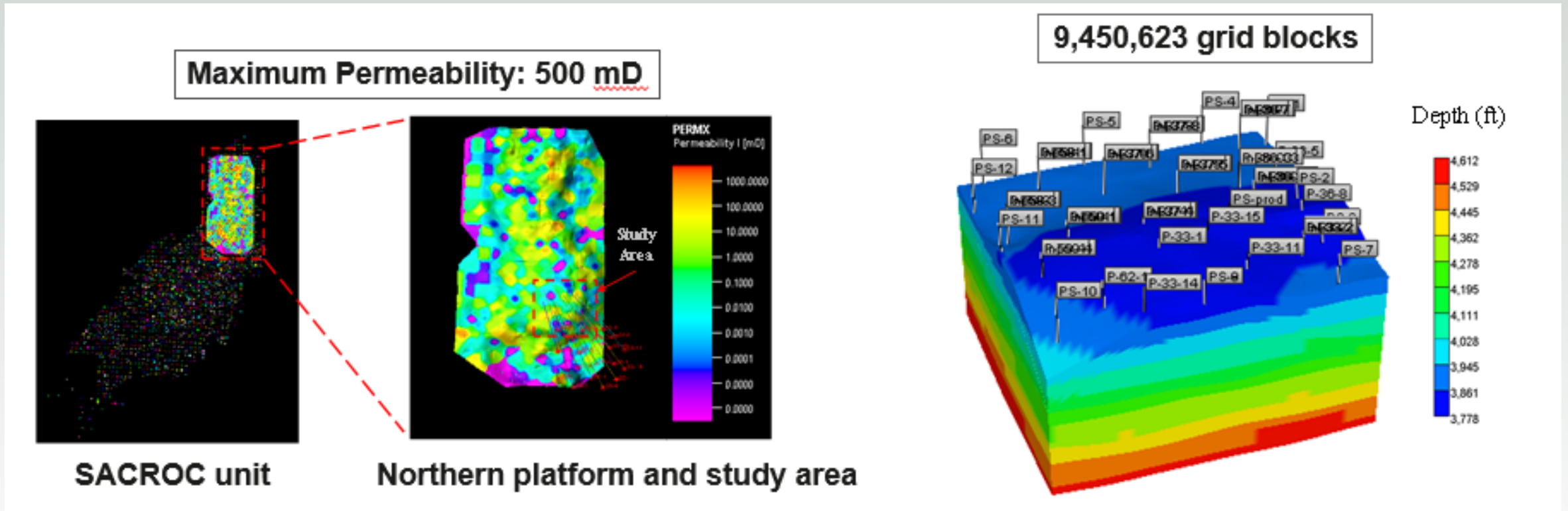


CO₂ Trapping Mechanisms in SACROC Unit

- The contribution of trapping mechanisms to CO₂ storage depends on various reservoir's parameters.
- An intelligent selection of CO₂ injection strategy improves the incremental oil recovery, CO₂ storage capacity, and CO₂ utilization ratio (UR).

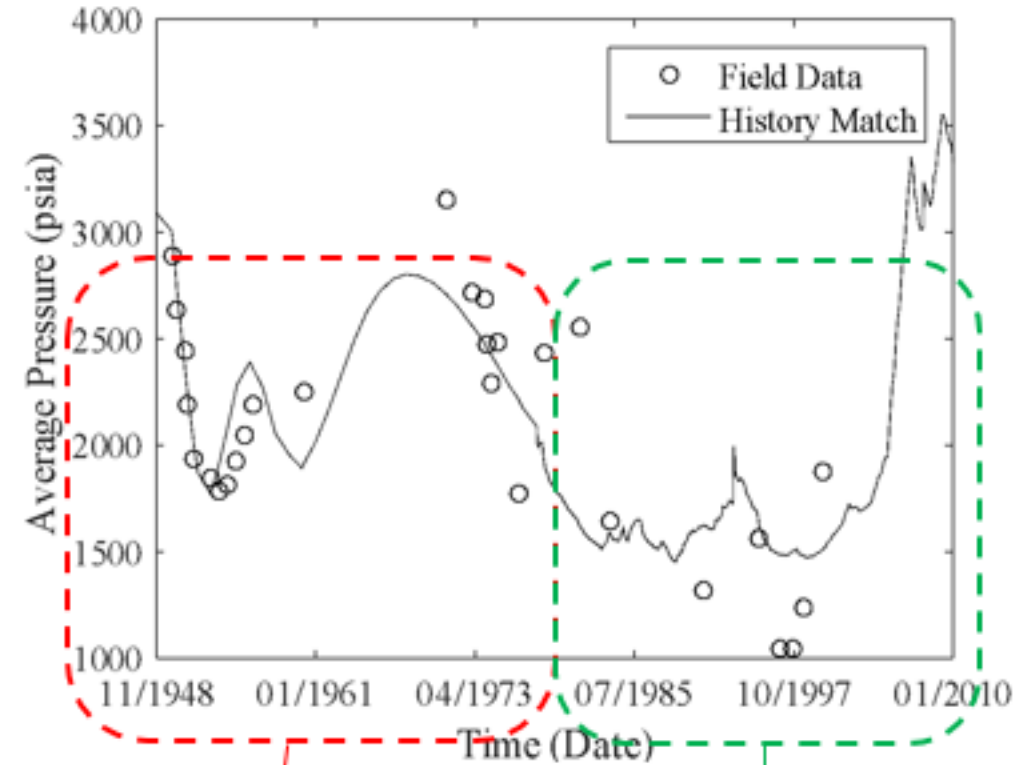
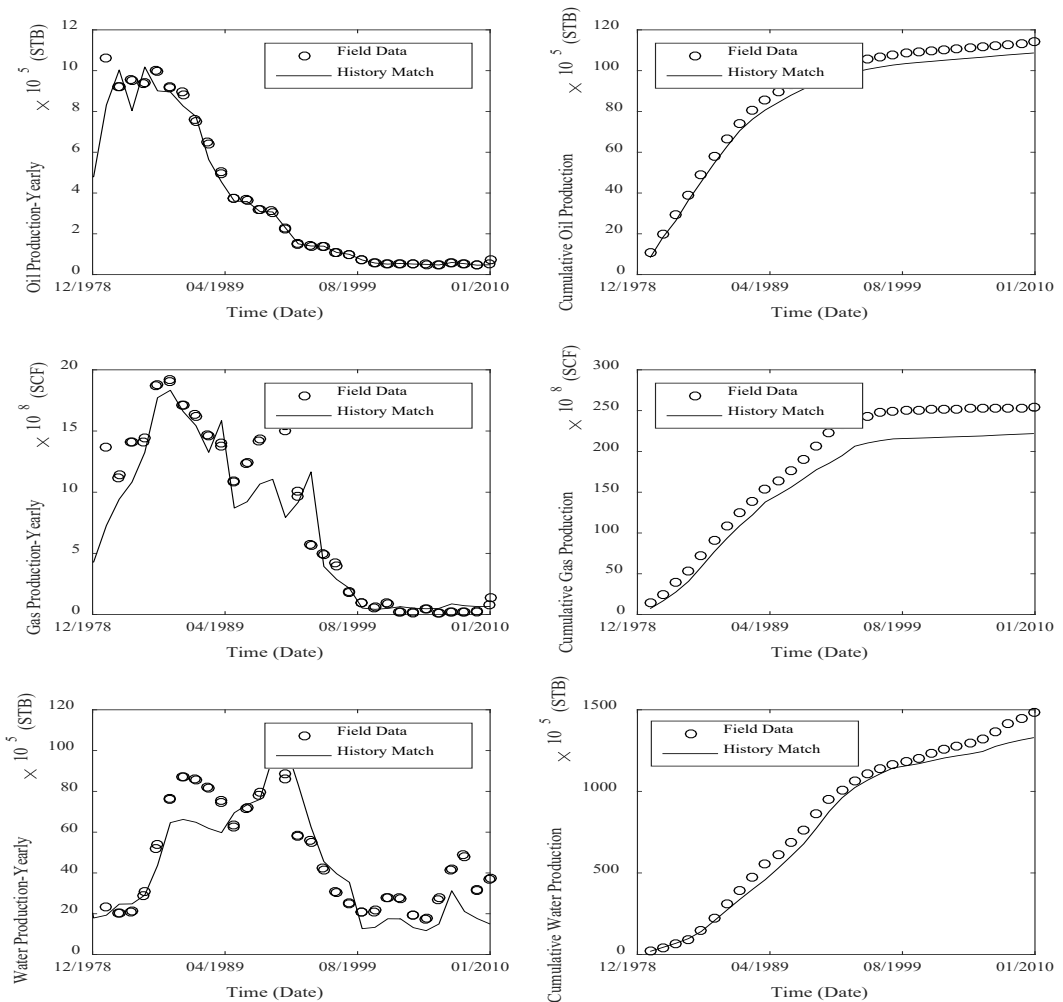


Reservoir Model



- ✓ The study area includes **19 production wells**. **12 wells** have been converted to injection wells for waterflooding. Out of these 12 wells, **10 have undergone CO₂ flooding**.

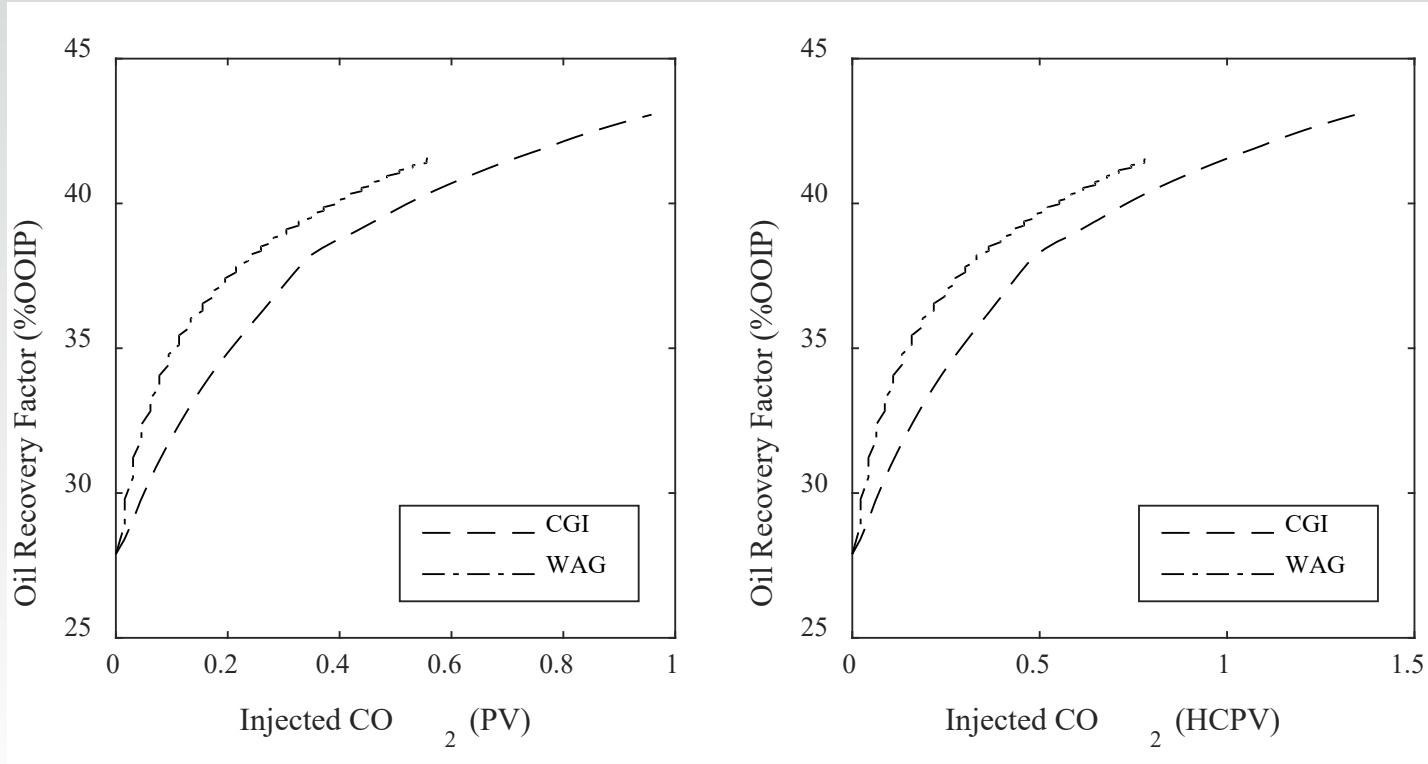
Pressure-Production History Matching



U.S. Department of Energy report (1948-1978)

We had access to the data for the period from 1978 to 2010.

Difference Between WAG and CGI



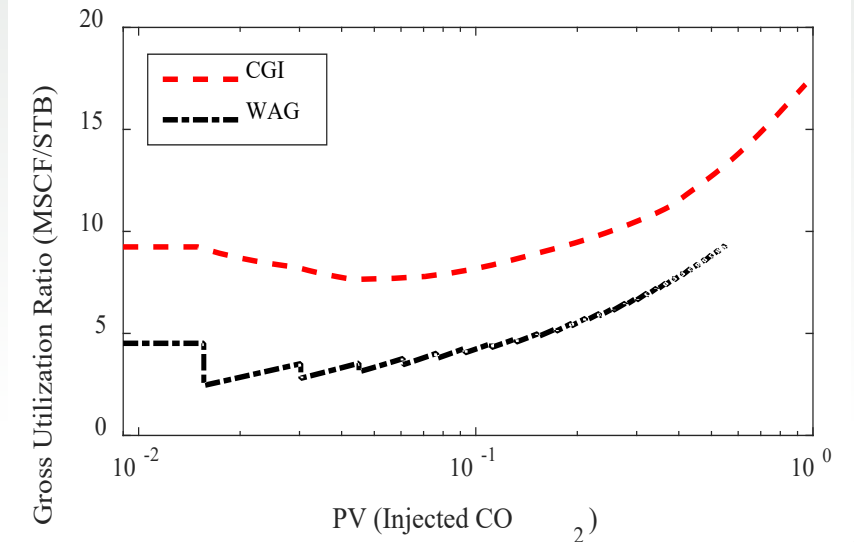
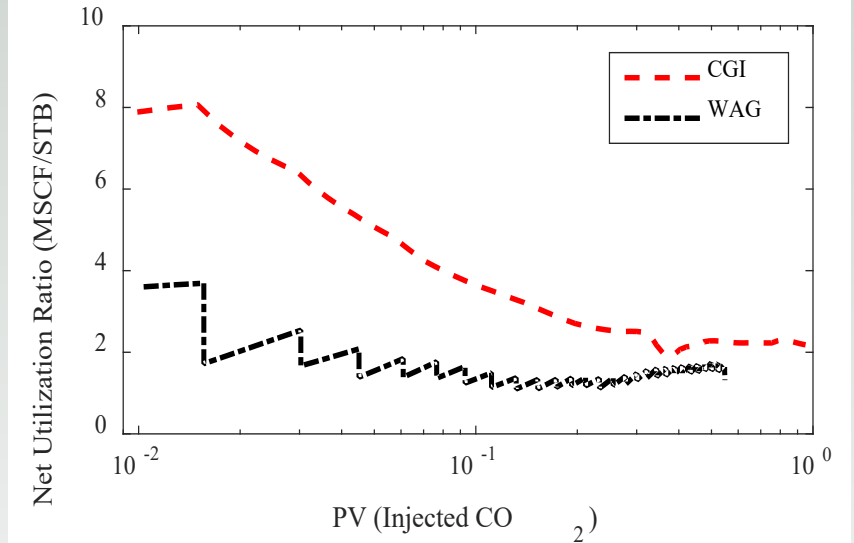
- ✓ Although the total oil recovery factor is higher in CGI (around 43%), the recovery factor for the same amount of injected CO₂ is higher in WAG scenario

CO₂ Utilization Ratios

- WAG shows much lower utilization ratios in comparison with CGI.
- Utilization ratio is not a constant number and is highly dependent on the time of CO₂ injection.

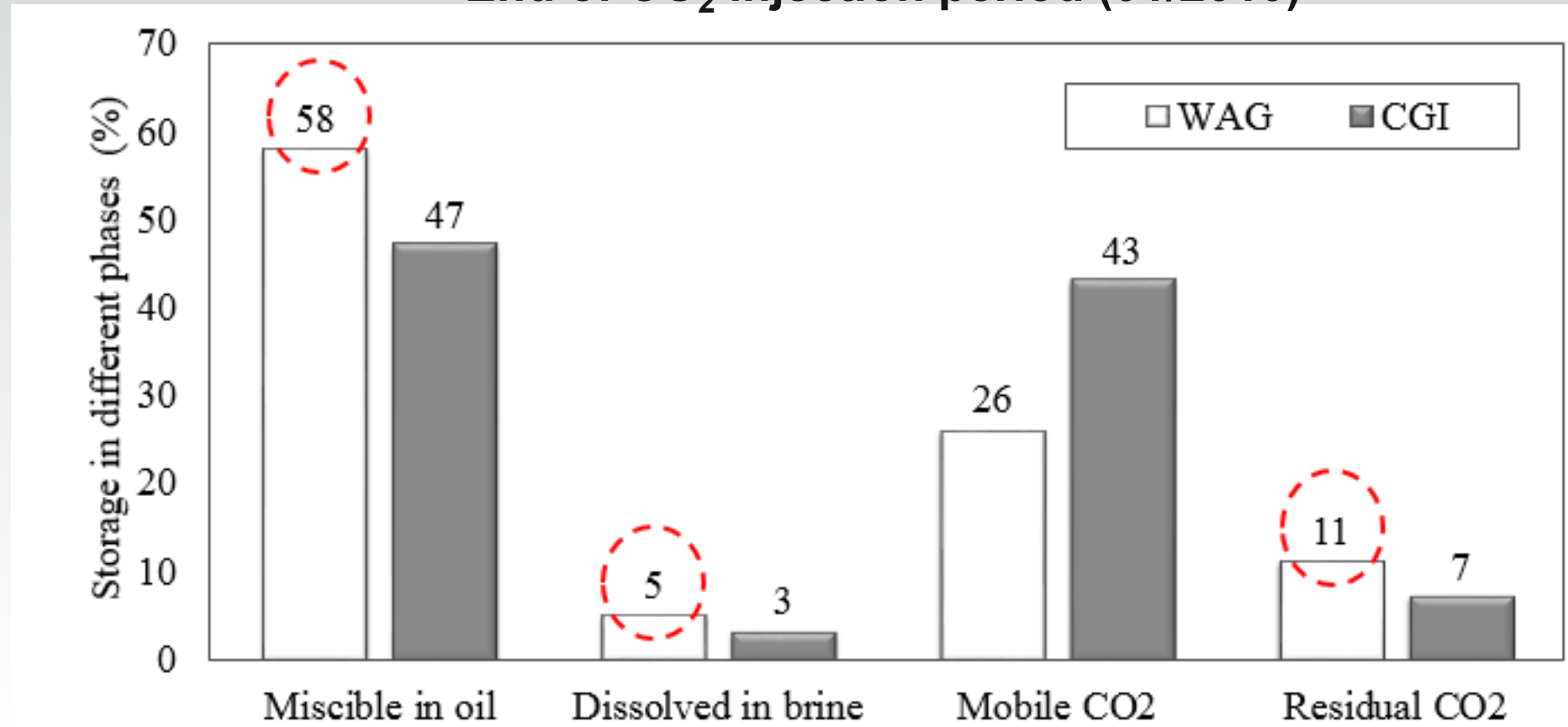
$$\text{Net UR} = \frac{\text{Injected CO}_2 - \text{Produced CO}_2}{\text{Produced Oil}}$$

$$\text{Gross UR} = \frac{\text{Injected CO}_2}{\text{Produced Oil}}$$

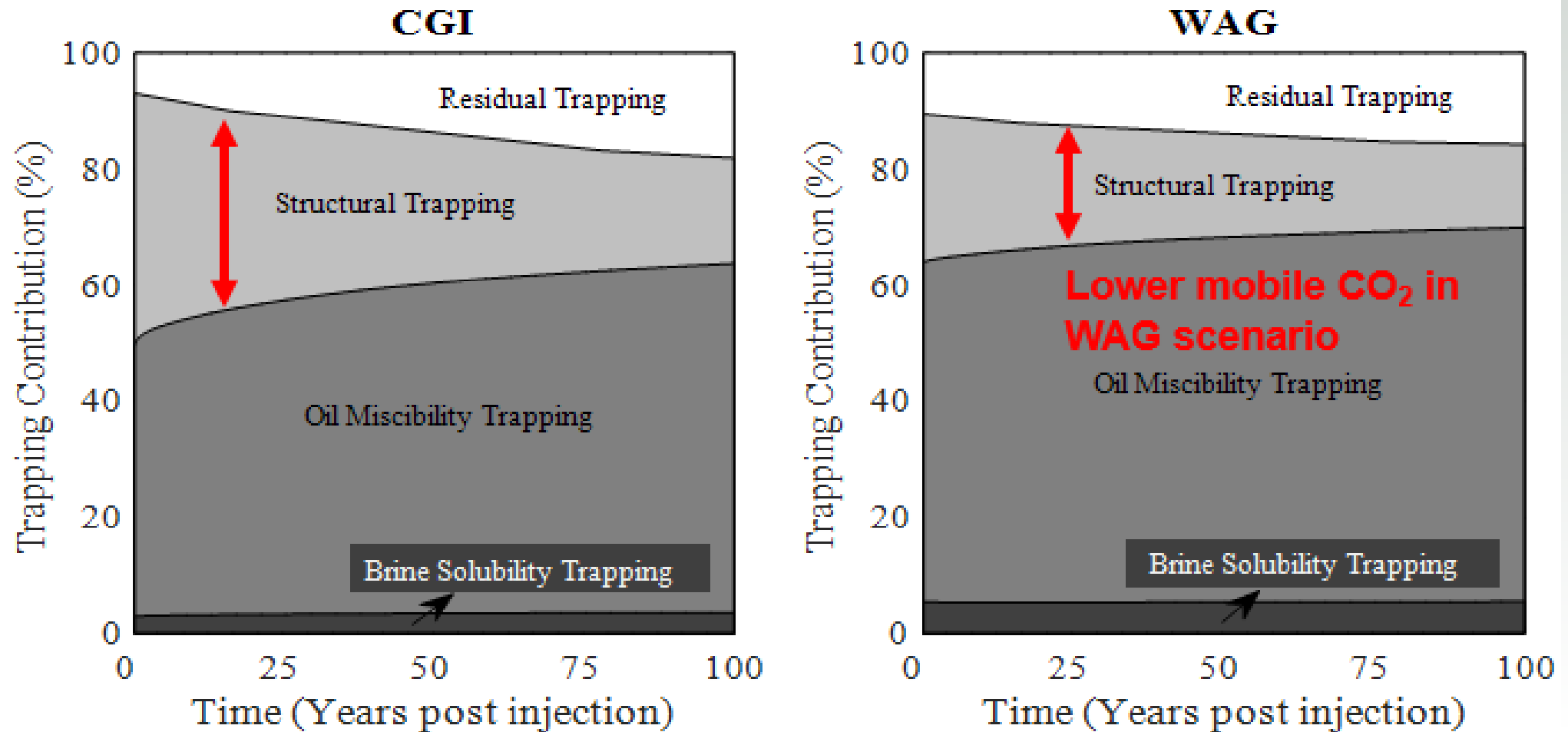


Trapping Mechanisms Contribution

End of CO₂ injection period (01/2010)



Trapping Mechanisms Contribution



Dissolution Trapping = Oil Miscibility + Brine Solubility

Conclusions

- 1. WAG shows a good balance between maximizing oil production and CO₂ storage with a lower utilization ratio compared to CGI.**
- 2. We have more free phase CO₂ in the reservoir in CGI while more CO₂ in dissolved and trapped form in WAG.**
- 3. CO₂ net and gross utilization ratios are not constant but evolve during the injection period.**



Extra slides

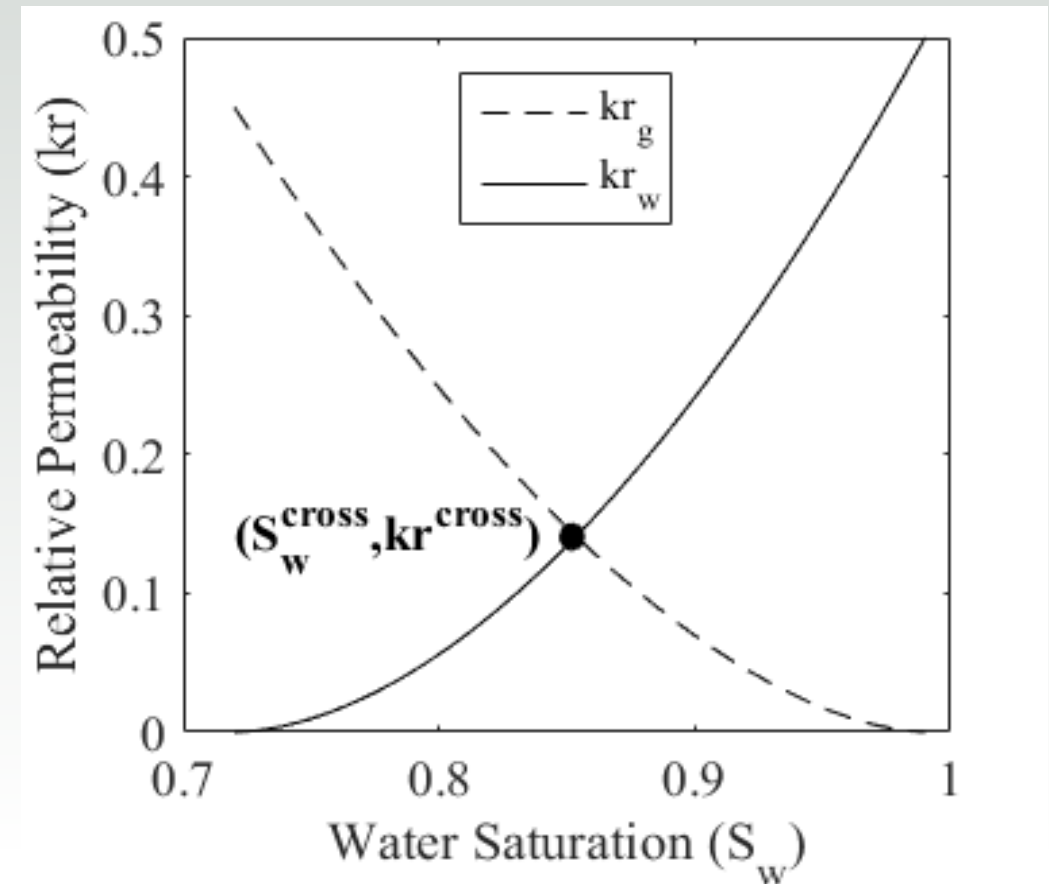
Effective Relative Permeability

- We found the effective relative permeability based on several simulation cases that we conducted.

$$k_r^{eff} = 2 \times \sqrt{k_r^{cross}}$$

- We modify the equation:

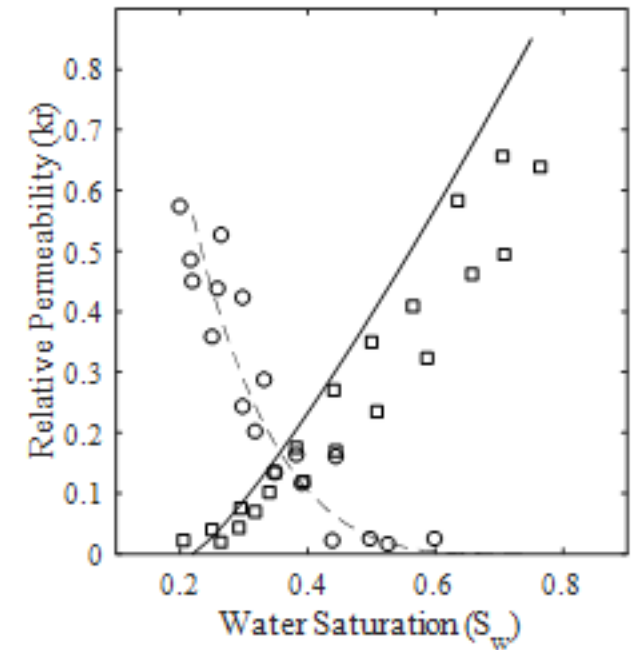
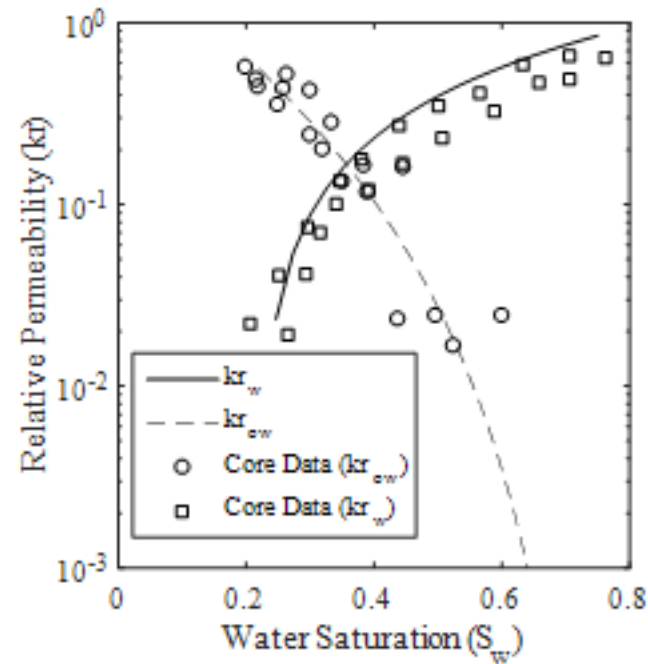
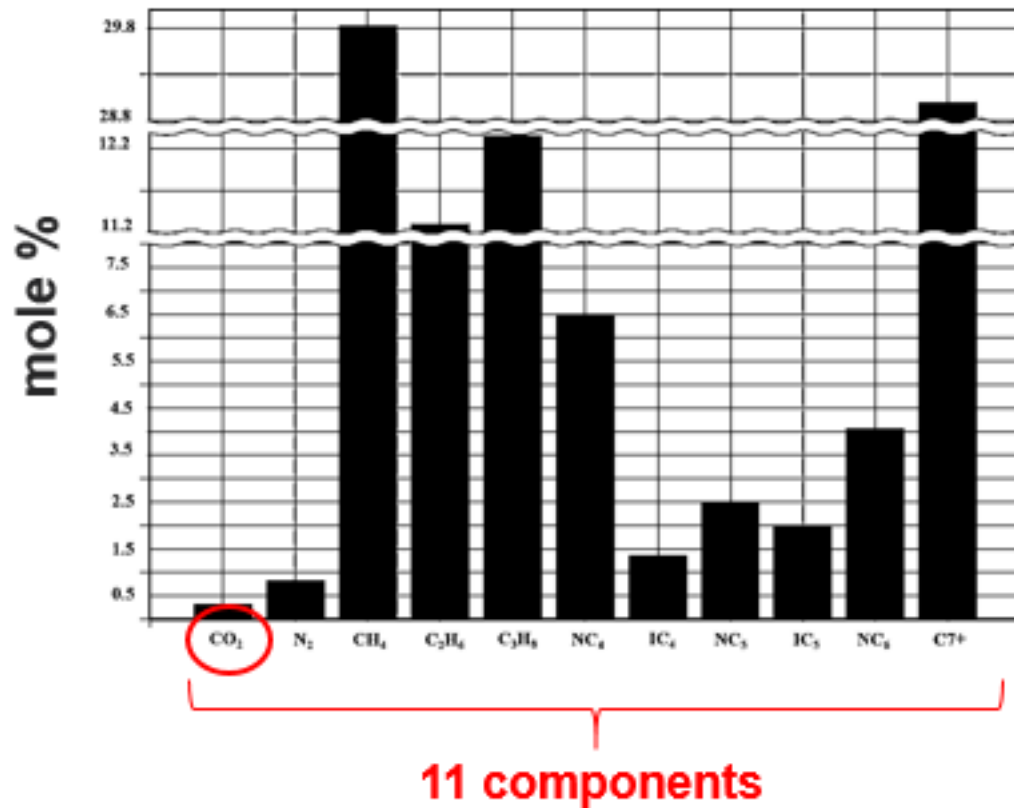
$$x_{fd} = \frac{\frac{Q\mu_g}{kk_r^{eff}} \cos \alpha}{(\rho_w - \rho_g)gh \sin \alpha}$$



Phase Behavior & Relative Permeability

✓ Reservoir fluid viscosity at bubble point pressure (1,820 psia): 0.38 cp

✓ Composition: based on measured data



✓ History matching is achieved with relative permeability curves which are in good agreements with core data.

Trapped CO₂ Calculation

✓ Material balance:

$$M_{CO_2}^{Injected} = \overbrace{M_{CO_2}^{oil} + M_{CO_2}^{brine}}^{Dissolution Trapping} + M_{CO_2}^{residual} + M_{CO_2}^{Structural} + \underbrace{M_{CO_2}^{mineral}}_{Negligible} + M_{CO_2}^{produced}$$

$$M_{CO_2}^{residual} = \sum_{i=1}^n V_{m,CO_2}(i) \times f_{CO_2}(i) \times S_{CO_2,r}(i) \times PV(i)$$

$M_{CO_2}^{\square}$: Mole CO₂

$V_{m,g}$: molar density of gas phase

f_{CO_2} : CO₂ mole fraction

$S_{CO_2,r}$: residual CO₂ saturation

PV : net pore volume

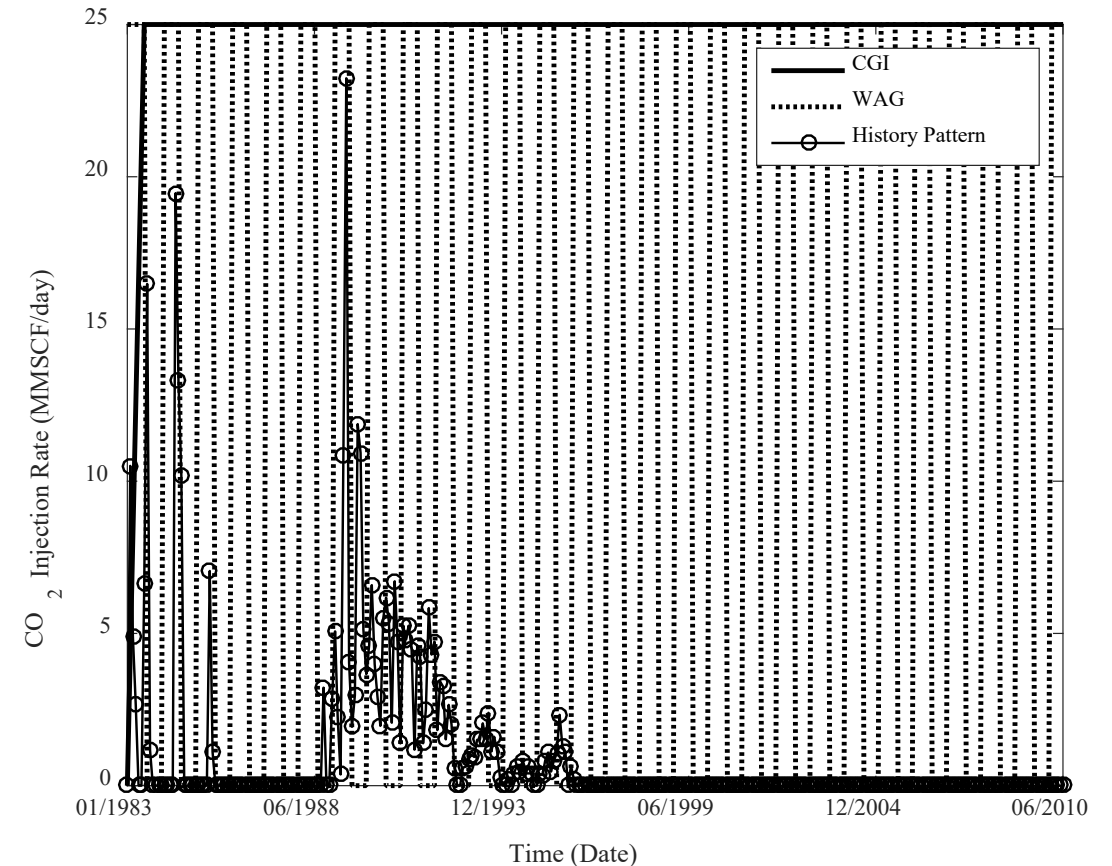
Calculated using
Land's (1968) equation

Land, C.S., 1968. Calculation of imbibition relative permeability for two- and three-phase flow from rock properties. Society of Petroleum Engineers Journal 1942

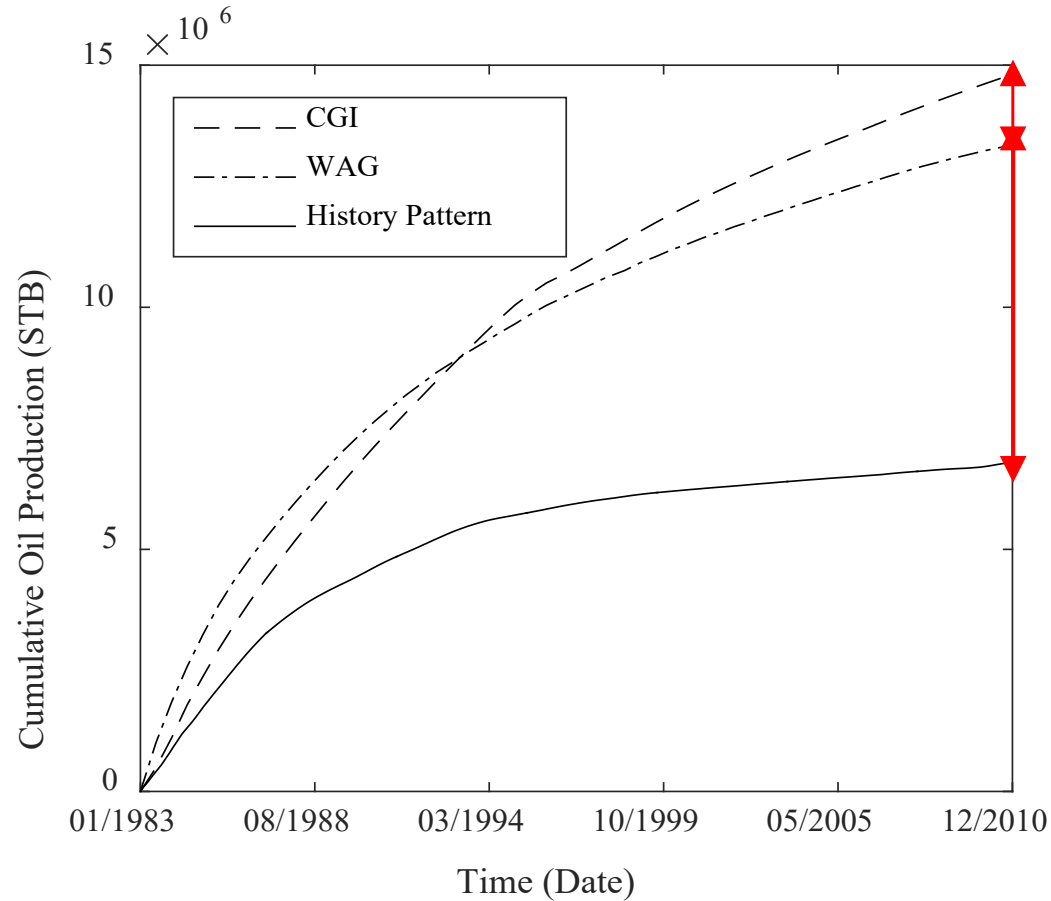
Scenarios Design

➤ After a comprehensive history matching:

1. Scenarios are designed for **the period that the average reservoir pressure was available (1983-2010)**.
2. We designed the CO₂ injection rates by assuming the **same average reservoir pressure** for all scenarios.
3. WAG ratio : 1/1, **cycle of 6 months**.
4. CGI injection rate: 25 MMSCF/day
5. Low CO₂ injection rate in the history of the field, **the field was mostly waterflooded**.



Incremental Oil Recovery



- ✓ If the operators would perform CO₂ injection (WAG or CGI), **oil recovery could be 50% greater.**
- ✓ The difference between incremental oil recovery in WAG and CGI is **insignificant.**